Control of AC Motor Drives

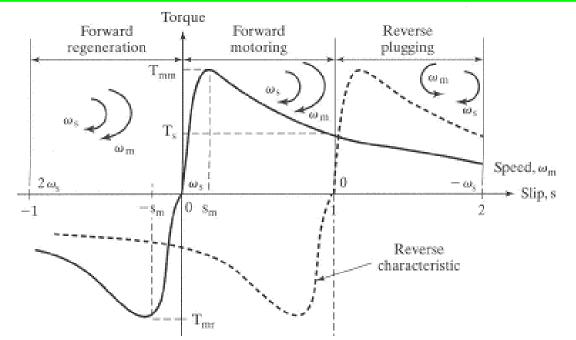
Introduction & Basic Principle of Operation

- Ac motors exhibit highly coupled, nonlinear, and multivariable structures as opposed to much simpler decoupled structures of separately excited dc motors.
- The control of ac drives generally requires complex control algorithms that can be performed by microprocessors or microcomputers along with fast-switching power converters.
- The ac motors have a number of advantages; they are lightweight (20 to 40% lighter than equivalent dc motors), are inexpensive, and have low maintenance compared with dc motors.
- They require control of frequency, voltage, and current for variable-speed applications.
- The power converters, inverters, and ac voltage controllers can control the frequency, voltage, or current to meet the drive requirements.

Introduction: AC Motor Drives

- These power controllers, which are relatively complex and more expensive, require advanced feed-back control techniques such as model reference, adaptive control, sliding mode control, and field-oriented control.
- However, the advantages of ac drives outweigh the disadvantages. There are two types of ac drives:
 - Induction motor drives
 - Synchronous motor drives
- Ac drives are replacing dc drives and are used in many industrial and domestic applications.

Induction Motor Drives



- The speed and torque of induction motors can be controlled by
 - Stator voltage control
 - Rotor voltage control
 - Frequency control
 - Stator voltage and frequency control
 - Stator current control
- To meet the torque-speed duty cycle of a drive, the voltage, current, and frequency control are normally used.



AC motor Drives are used in many industrial and domestic application, such as in conveyer, lift, mixer, escalator etc.

The AC motor have a number of advantages :

- Lightweight (20% to 40% lighter than equivalent DC motor)
- Inexpensive
- Low maintenance

The Disadvantages AC motor :

* The power control relatively complex and more expensive

There are two type of AC motor Drives :

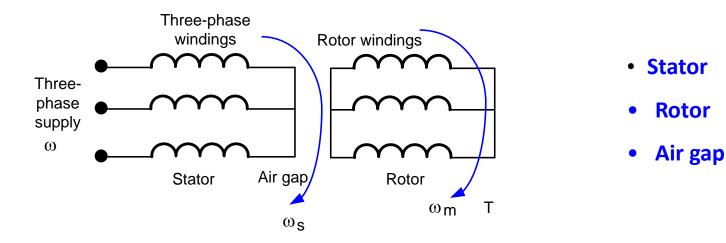
- 1. Induction Motor Drives
- 2. Synchronous Motor Drives

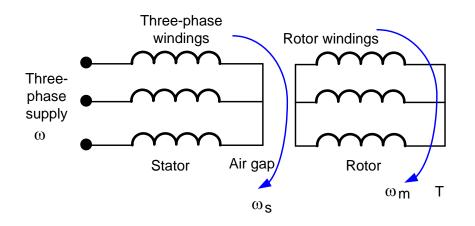


INDUCTION MOTOR DRIVES

Three-phase induction motor are commonly used in adjustable-speed drives (ASD).

Basic part of three-phase induction motor :







The stator winding are supplied with balanced three-phase AC voltage, which produce induced voltage in the rotor windings. It is possible to arrange the distribution of stator winding so that there is an effect of multiple poles, producing several cycle of magnetomotive force (mmf) or field around the air gap.

The speed of rotation of field is called the synchronous speed $\omega_{\!s}$, which is defined by :

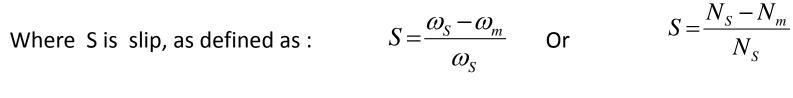
$$\omega_s = \frac{2\omega}{p}$$
 or
 $N_s = \frac{120 f}{p}$

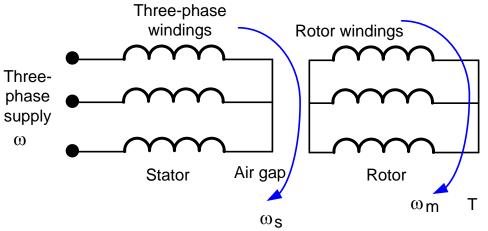
- ω_s is syncronous speed [rad/sec]
- $N_{s}\,$ is syncronous speed [rpm]
- p is numbers of poles
- ω is the supply frequency [rad/sec]
- f is the supply frequency [Hz]
- $N_{\rm m}$ is motor speed

The motor speed

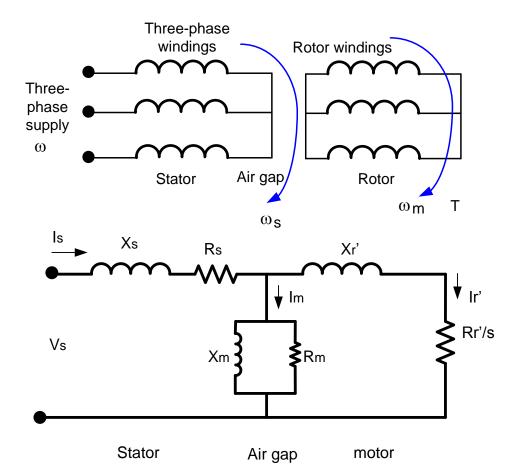
The rotor speed or motor speed is :

$$\omega_m = \omega_s (1-S)$$





Equivalent Circuit Of Induction Motor



Where :

Rs is resistance per-phase of stator winding

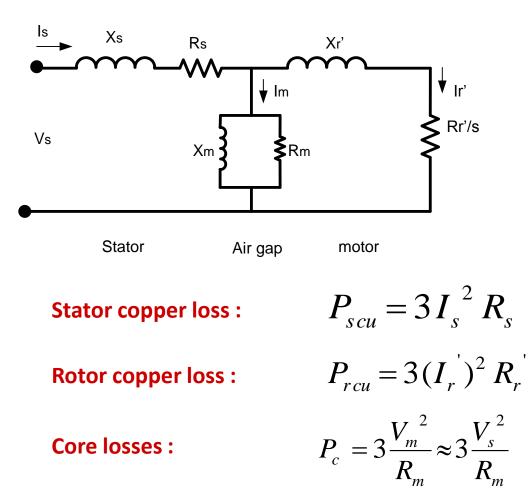
Rr is resistance per-phase of rotor winding

Xs is leakage reactance per-phase of the winding stator

Xs is leakage reactance per-phase of the winding rotor

X_m is magnetizing reactance

R_{m is} Core losses as a reactance



- Power developed on air gap (Power fropm stator to rotor through air gap) : R
- Power developed by motor :

or

$$P_{g} = 3(I_{r})^{2} \frac{R_{r}}{S}$$

$$P_{d} = P_{g} - P_{rcu} = 3(I_{r})^{2} \frac{R_{r}}{S}(1-S)$$

$$P_{d} = P_{g} (1-S)$$

$$P_{1} = 60$$

Torque of motor:
$$T_d = \frac{P_d}{\omega_m}$$
 or $T_d = \frac{T_d}{2\pi N_m}$
or $= \frac{P_g(1-S)}{\omega_s(1-S)} = \frac{P_g}{\omega_s}$

D

Input power of motor : $P_i = 3V_s I_s \cos \phi_m$ = $P_c + P_{scu} + P_g$

Output power of motor : $P_o = P_d - P_{noload}$

Efficiency:
$$\eta = \frac{P_o}{P_i} = \frac{P_d - P_{noload}}{P_c + P_{scu} + P_g}$$

If
$$P_g >> (P_c + P_{scu})$$

and $P_d >> P_{noload}$

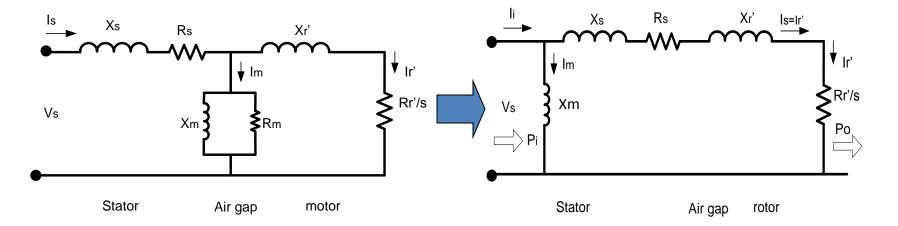
so, the efficiency can calculated as :

$$\eta \approx \frac{P_d}{P_g} = \frac{P_g (1-S)}{P_g} = 1 - S$$

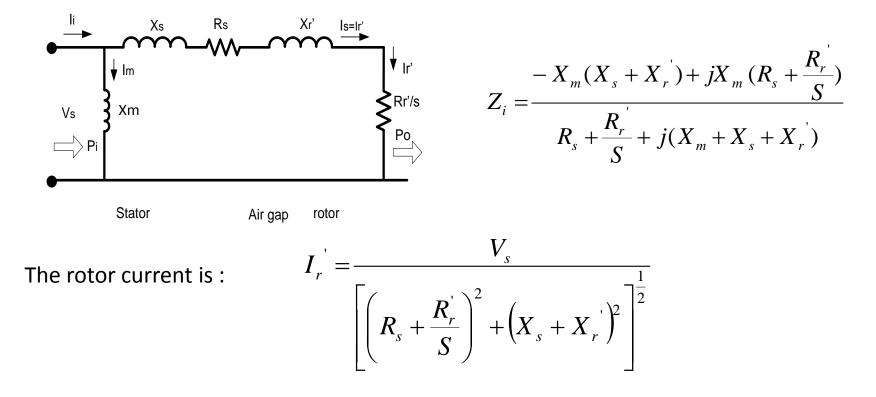
Generally, value of reactance magnetization $X_m >>$ value Rm (core losses) and also $X_m^2 >> (R_s^2 + X_s^2)$

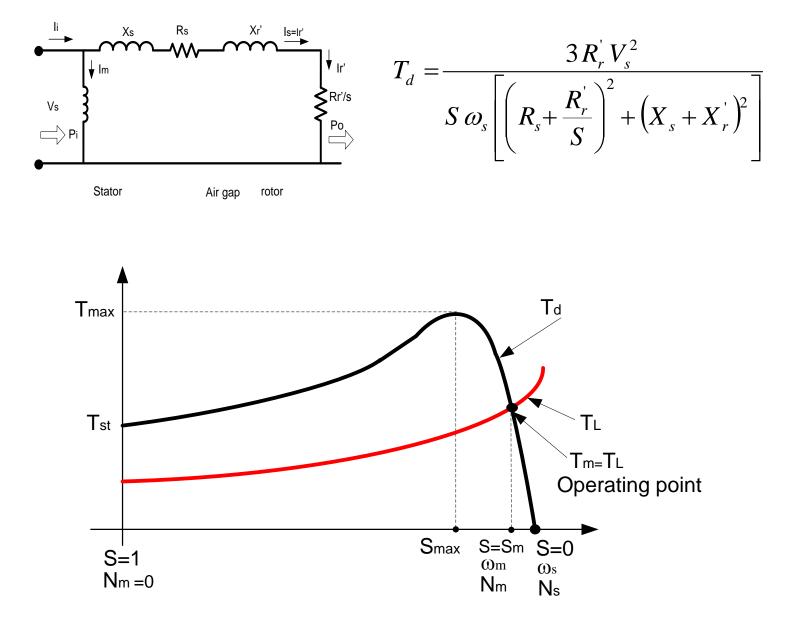
So, the magnetizing voltage same with the input voltage : $V_m \approx V_s$

Therefore, the equivalent circuit is ;



Total Impedance of this circuit is :

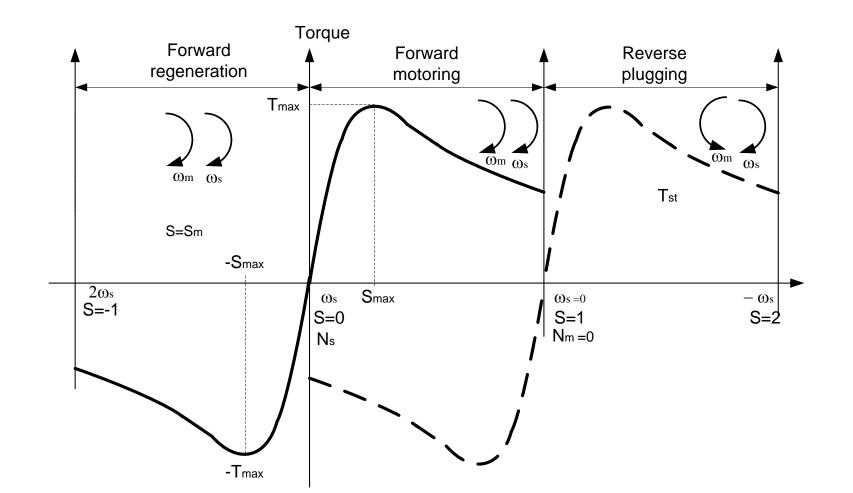




Torque – speed Characteristic

Three region operation :

- **1. Motoring :** $0 \le S \le 1$
- **2.** Regenerating : S < 0
- **3.** Plugging : $1 \le S \le 2$



Starting speed of motor is $\omega_m = 0$ or S = 1,

Starting torque of motor is :
$$T_{st} = \frac{3R_r^{'}V_s^2}{\omega_s \left[\left(R_s + \frac{R_r^{'}}{S} \right)^2 + \left(X_s + X_r^{'} \right)^2 \right]}$$

Slip for the maximum torque $\rm S_{max}$ can be found by setting :

So, the slip on maximum torque is :

$$S_{\max} = \pm \frac{R_r}{\left[(R_s)^2 + (X_s + X_r)^2 \right]^{\frac{1}{2}}}$$

 $\frac{dT_d}{dS} = 0$

Torque maximum is :

$$T_{\max} = \frac{3 V_{s}^{2}}{2\omega_{s} \left[R_{s} + \sqrt{R_{s}^{2} + (X_{s} + X_{r}^{'})^{2}} \right]}$$

And the maximum regenerative torque can be found as :

$$T_{\max} = \frac{3 V_s^2}{2\omega_s \left[-R_s + \sqrt{R_s^2 + (X_s + X_r)^2} \right]}$$

Where the slip of motor $s = -S_m$

Speed-Torque Characteristic :

$$T_{d} = \frac{3R_{r}^{'}V_{s}^{2}}{S\omega_{s}\left[\left(R_{s} + \frac{R_{r}^{'}}{S}\right)^{2} + \left(X_{s} + X_{r}^{'}\right)^{2}\right]}$$

For the high Slip S. (starting)

$$\left(X_{s}+X_{r}^{'}\right)^{2} >> \left(R_{s}+\frac{R_{r}^{'}}{S}\right)^{2}$$

So, the torque of motor is :

$$T_d = \frac{3R_r' V_s^2}{S\omega_s \left(X_s + X_r'\right)^2}$$

And starting torque (slip S=1) is :

$$T_{st} = \frac{3R_r^{\prime}V_s^2}{\omega_s \left(X_s + X_r^{\prime}\right)^2}$$

For low slip S region, the motor speed near unity or synchronous speed, in this region the impedance motor is : $(R - R')^2 = R'_r$

$$(X_{s} + X_{r})^{2} << \frac{R_{r}}{S} >> R_{s}$$

So, the motor torque is :

$$T_d = \frac{3V_s^2 S}{\omega_s R'_r}$$

And the slip at maximum torque is :

$$S_{\max} = \pm \frac{R_r}{\left[(R_s)^2 + (X_s + X_r)^2 \right]^{\frac{1}{2}}}$$

The maximum motor torque is :

$$T_{d} = \frac{3R_{r}^{'}V_{s}^{2}}{S\omega_{s}\left[\left(R_{s} + \frac{R_{r}^{'}}{S}\right)^{2} + \left(X_{s} + X_{r}^{'}\right)^{2}\right]}$$